

# The Energy Calibration System of the muon g-2 experiment at Fermilab

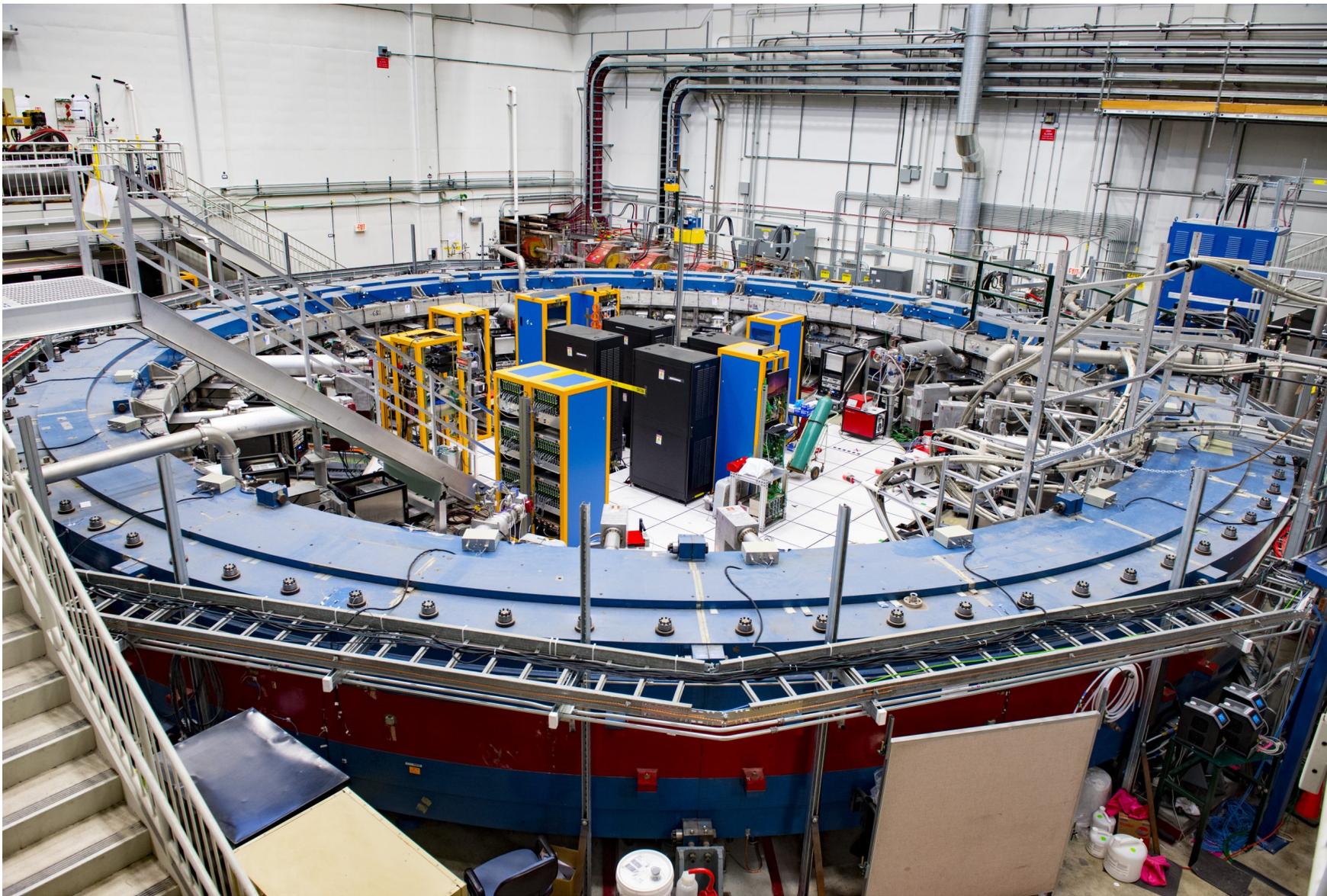
Matteo Sorbara *on behalf of g-2 collaboration*

Società Italiana di Fisica 104<sup>th</sup> Congress

21<sup>st</sup> of September 2018

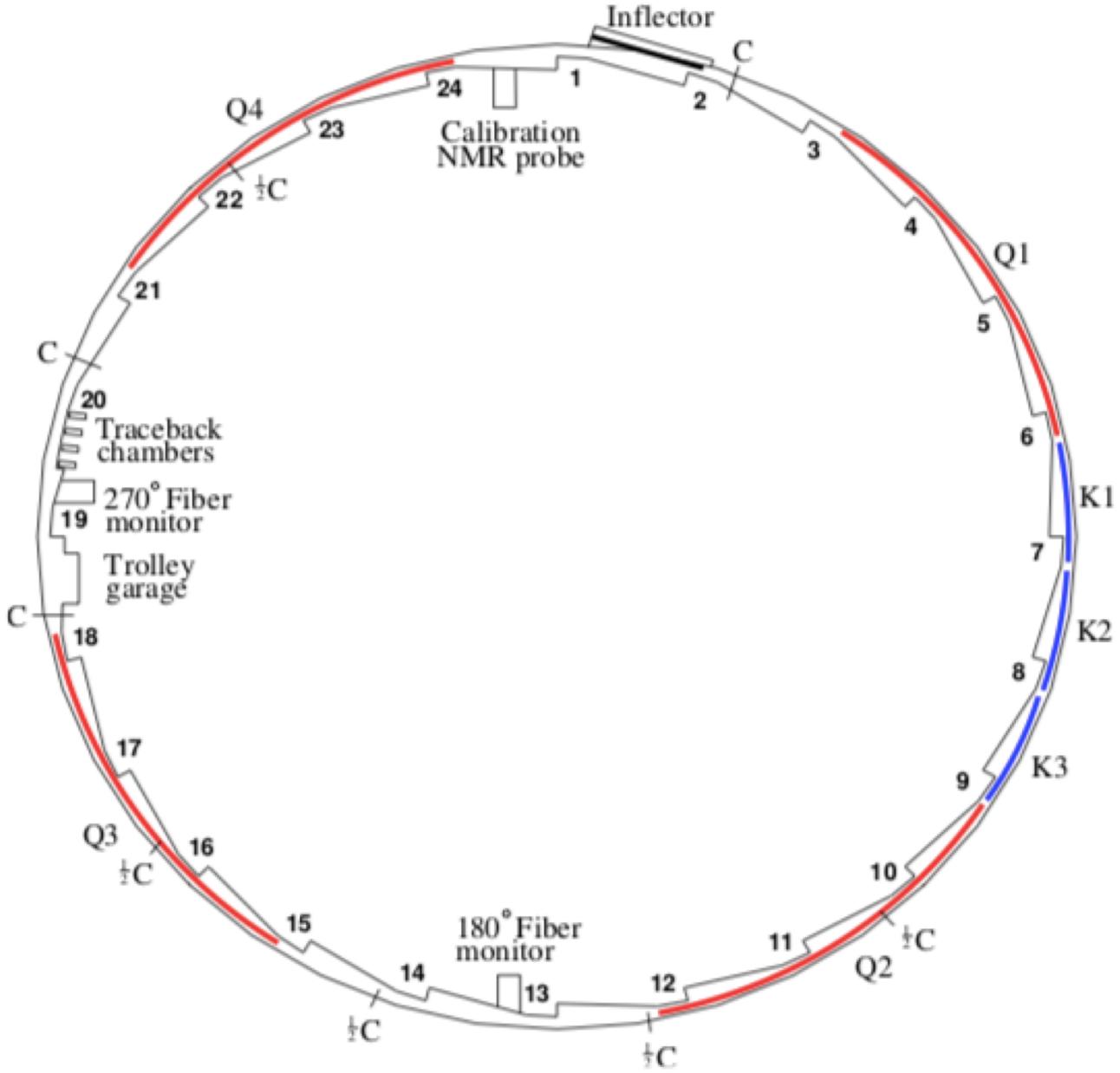
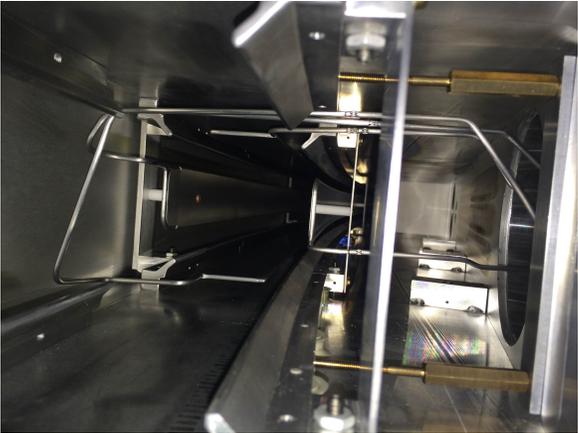
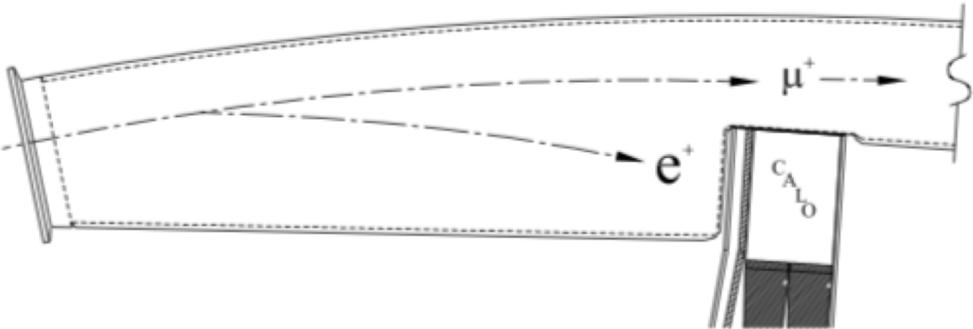
# Overview

- The E989 Calorimeter System
- Absolute Energy Calibration
  - Endpoint
  - MIP peaks
- Lost Muons
- Conclusions



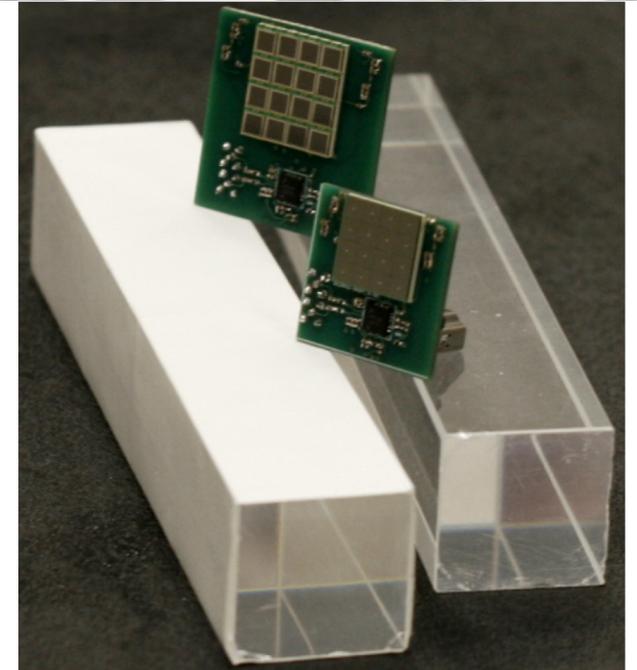
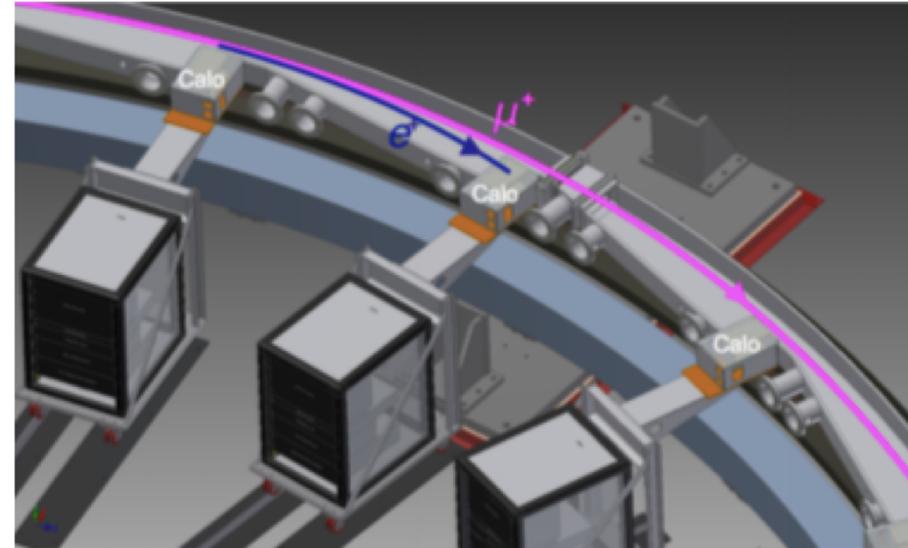
*One Ring to rule them all, One Ring to find them, One Ring to bring them all,  
and in the Darkness blind them. J. R. R. Tolkien - Lord Of The Rings*

# The Ring



# The E989 Calorimeter System

- 24 calorimeters along the inner radius of the ring
- Each calorimeter is a  $6 \times 9$  array of  $PbF_2$  crystals
- Each crystal is  $2.5 \times 2.5 \text{ cm}^2$  and  $14 \text{ cm}$  deep ( $= 15 X_0$ )
- Čerenkov crystals  $\gg$  Fast response  $\gg$  Less Pile-Up
- Crystals are read by Large Area SiPM

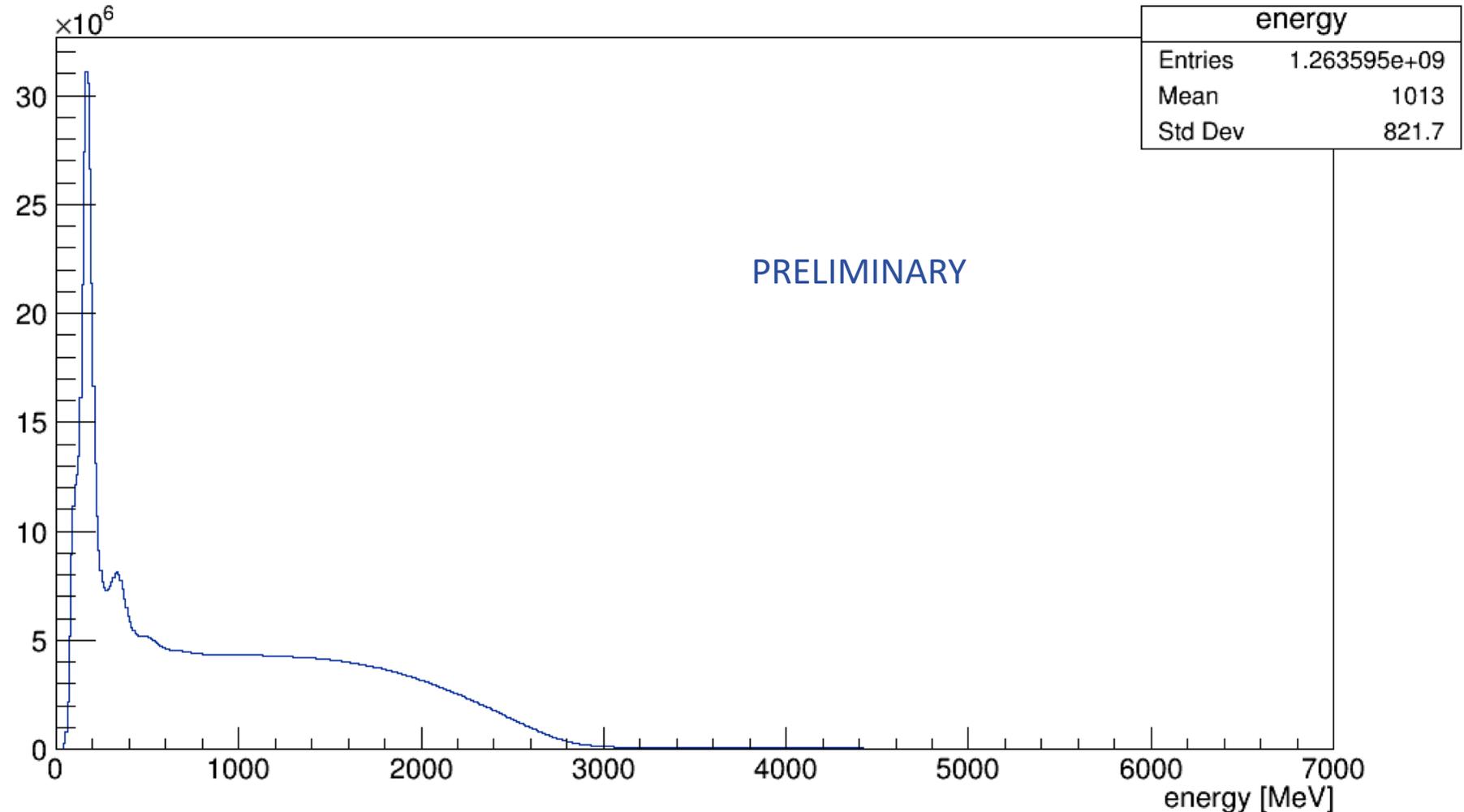


# Absolute Energy Calibration

The key point is to use a (reasonably) fixed energy process for the calorimeters' calibration:

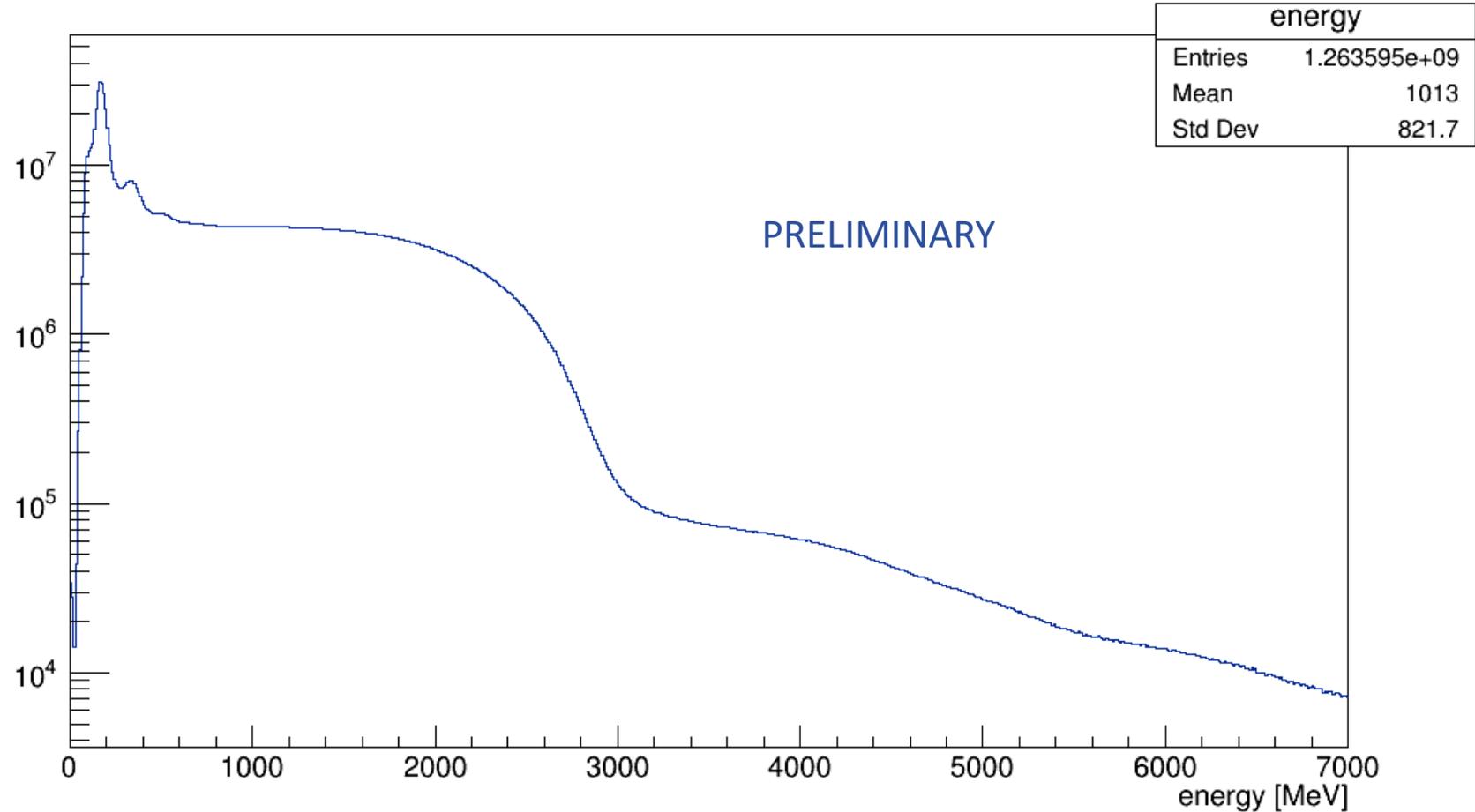
- Endpoint
- MIP Peak

Both are visible in a typical energy spectrum, but...



# Absolute Energy Calibration (2)

... Same plot in Log Scale.  
 The endpoint is affected by pile-up (long tail at  $E > 3.1 \text{ GeV}$ ).  
 The endpoint is also affected by the calorimeter's leakage.  
 So MIP peak is the process of choice for the absolute energy calibration.



# Lost Muons for MIP signal

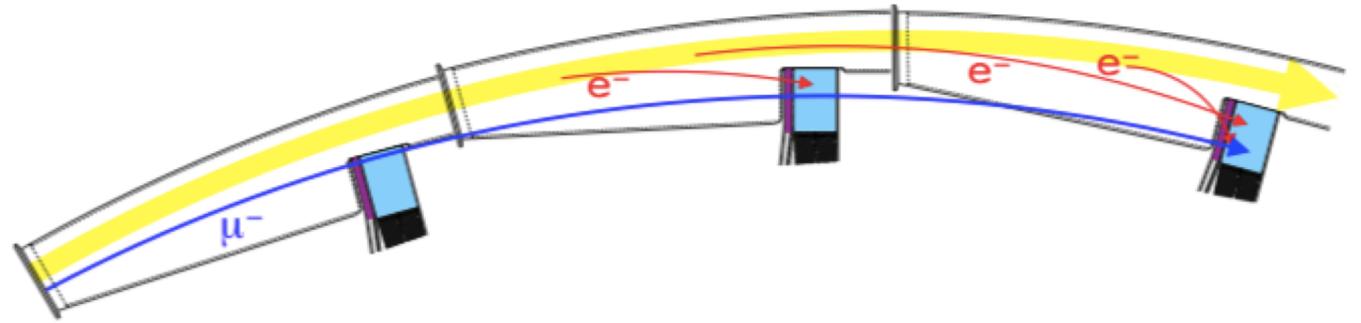
A muon transversing a block of material loses energy due to the ionization process. The Bethe-Bloch formula gives the mean energy deposited by the particle:

$$E_{dep} = \frac{dE}{dx} \cdot \rho x \approx 167 \text{ MeV}$$

for  $3.1 \text{ GeV}/c$  muons in a  $14 \text{ cm PbF}_2$  crystal ( $\rho = 7.77 \frac{\text{g}}{\text{cm}^3}$ ).

So we expect a peak in the region of  $\sim 170 \text{ MeV}$  from lost muons that can be used for the energy calibration.

# Find Lost Muons



Developed a C++/Root code to look for Double and Triple Coincidences.

The code looks for:

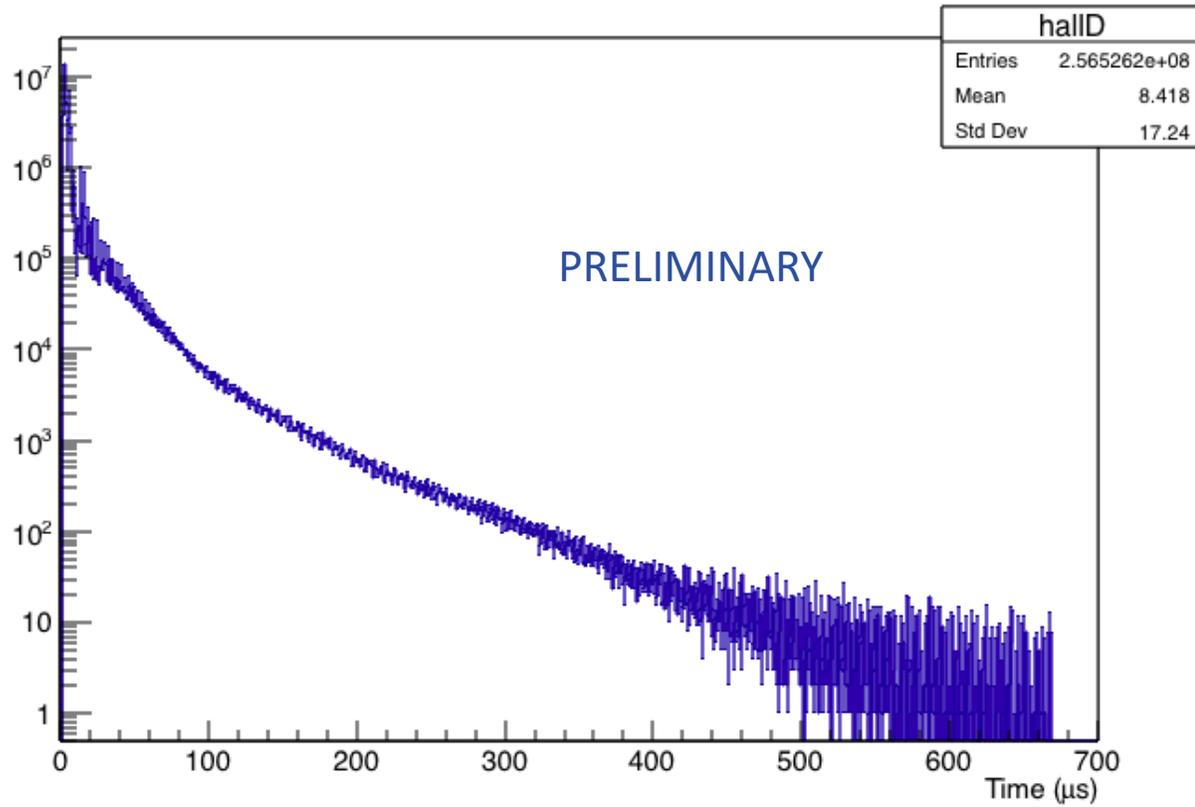
1. single hit clusters in the  $n^{th}$  calorimeter;
2. clusters in the  $(n + 1)^{th}$  calorimeter within  $10ns$  from the first hit;
3. energy difference between the hits  $\Delta E < 30 MeV$ ;

For Triple Coincidences:

4. clusters in the  $(n + 2)^{th}$  calorimeter within  $10ns$  from the first hit and  $20ns$  from the second hit.

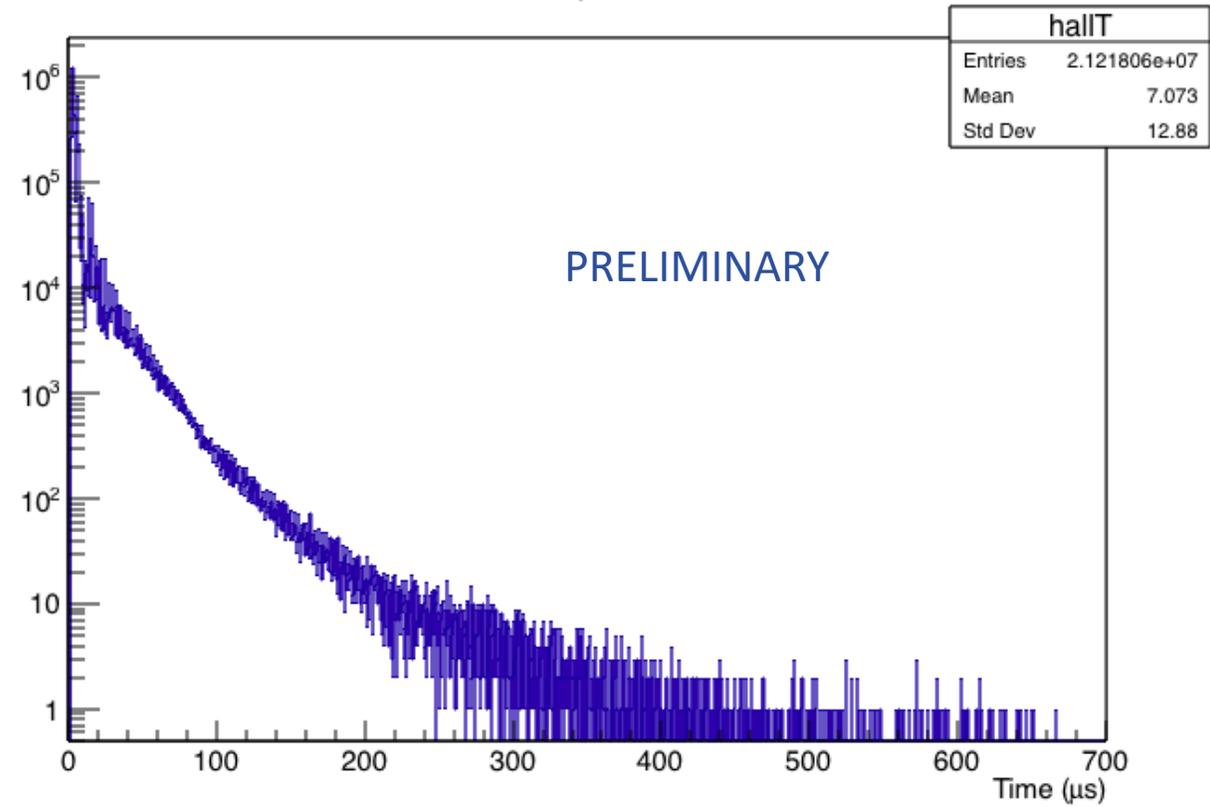
# Time Distribution

LostMuons\_TimeSpectrum



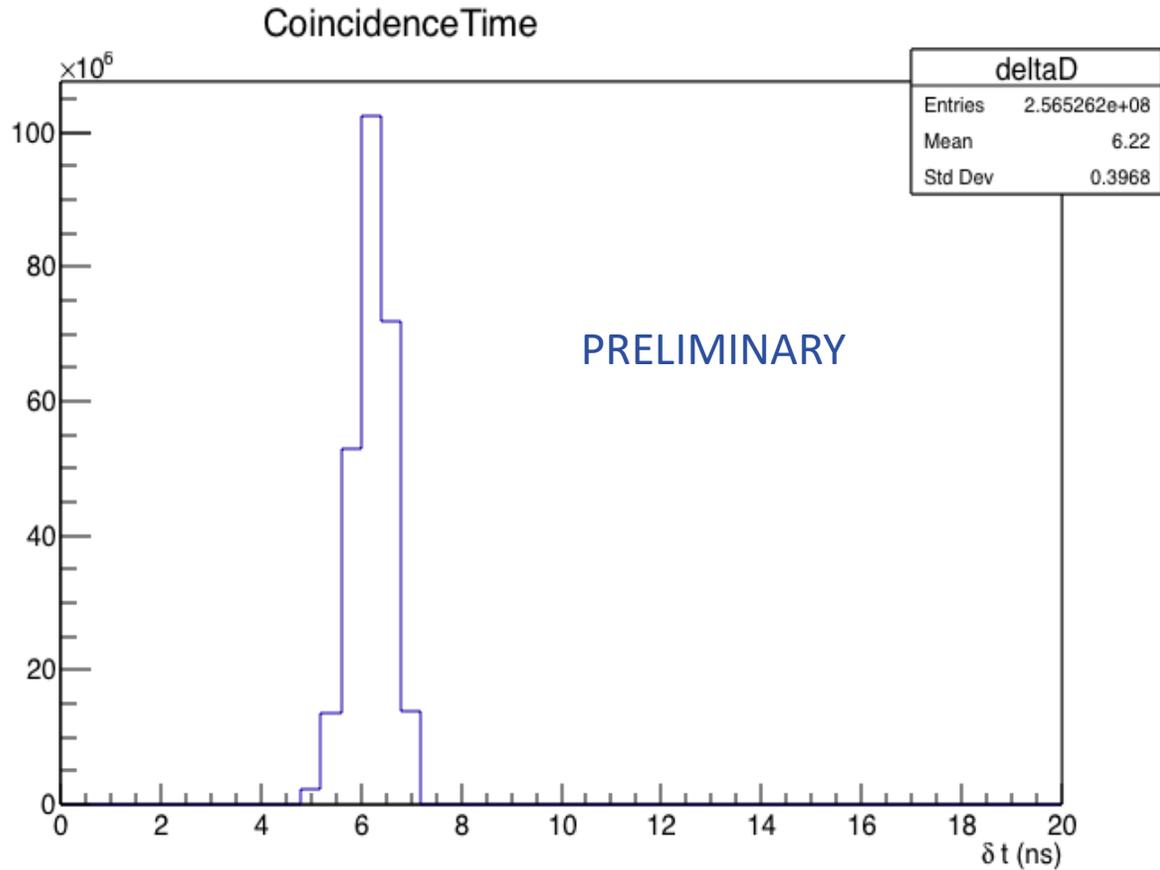
Double Coincidences

LostMuons\_TimeSpectrum

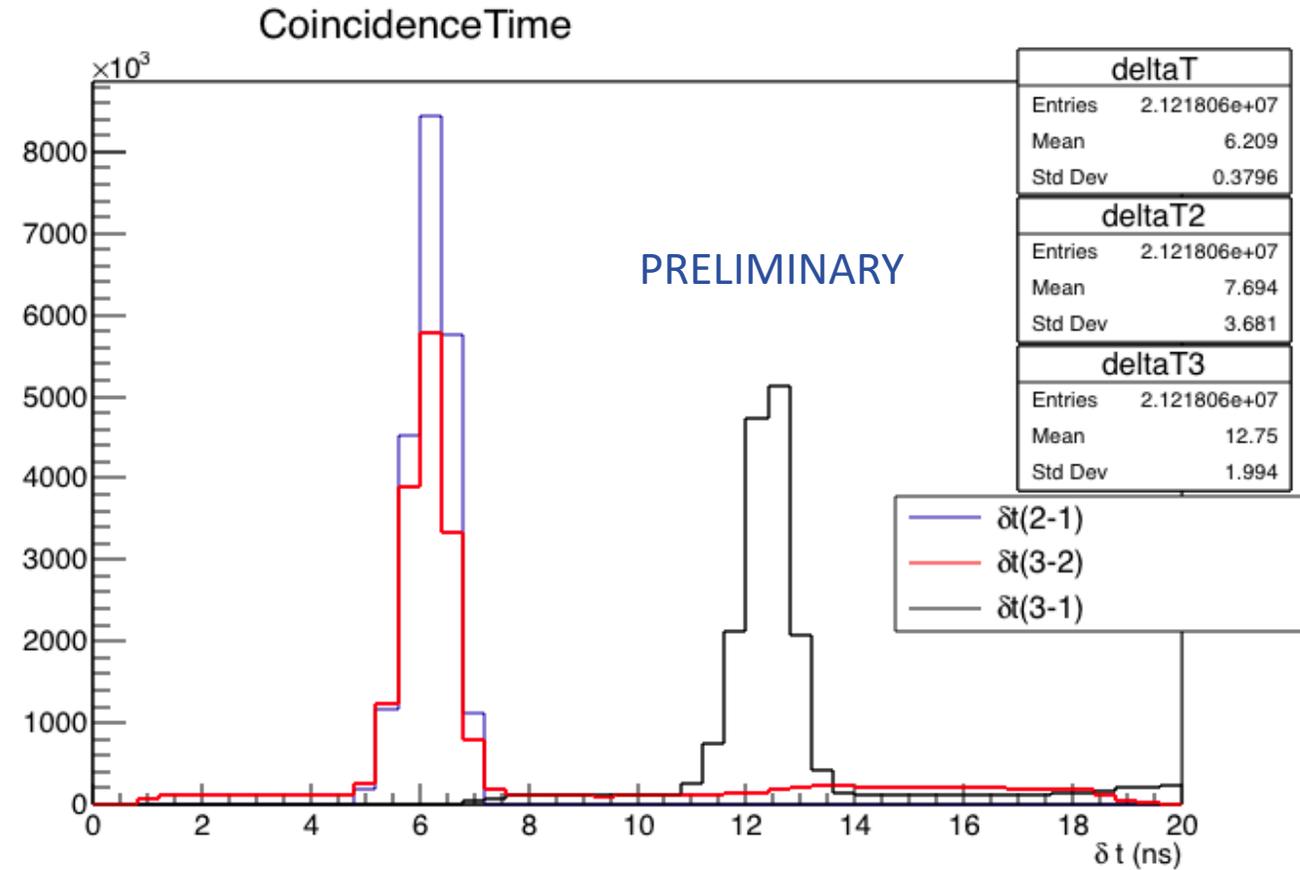


Triple Coincidences

# Time Differences



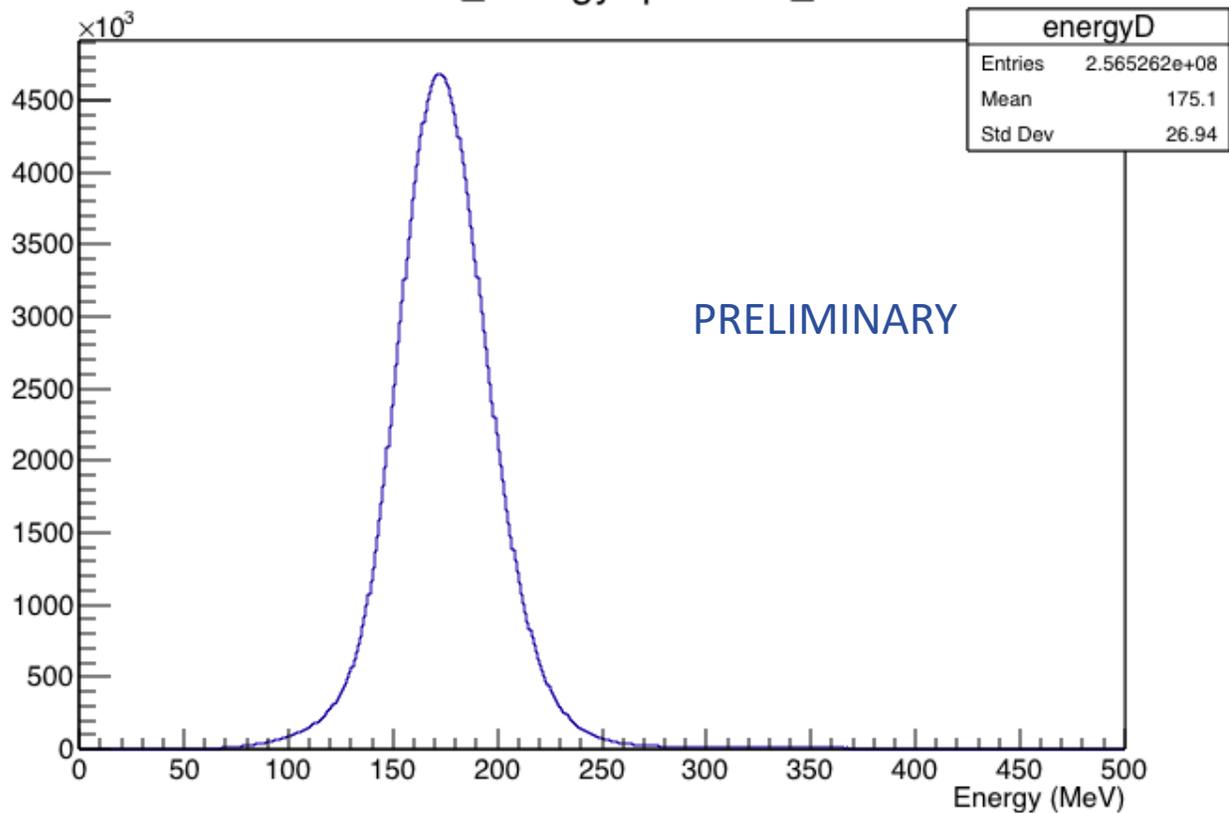
Double Coincidences



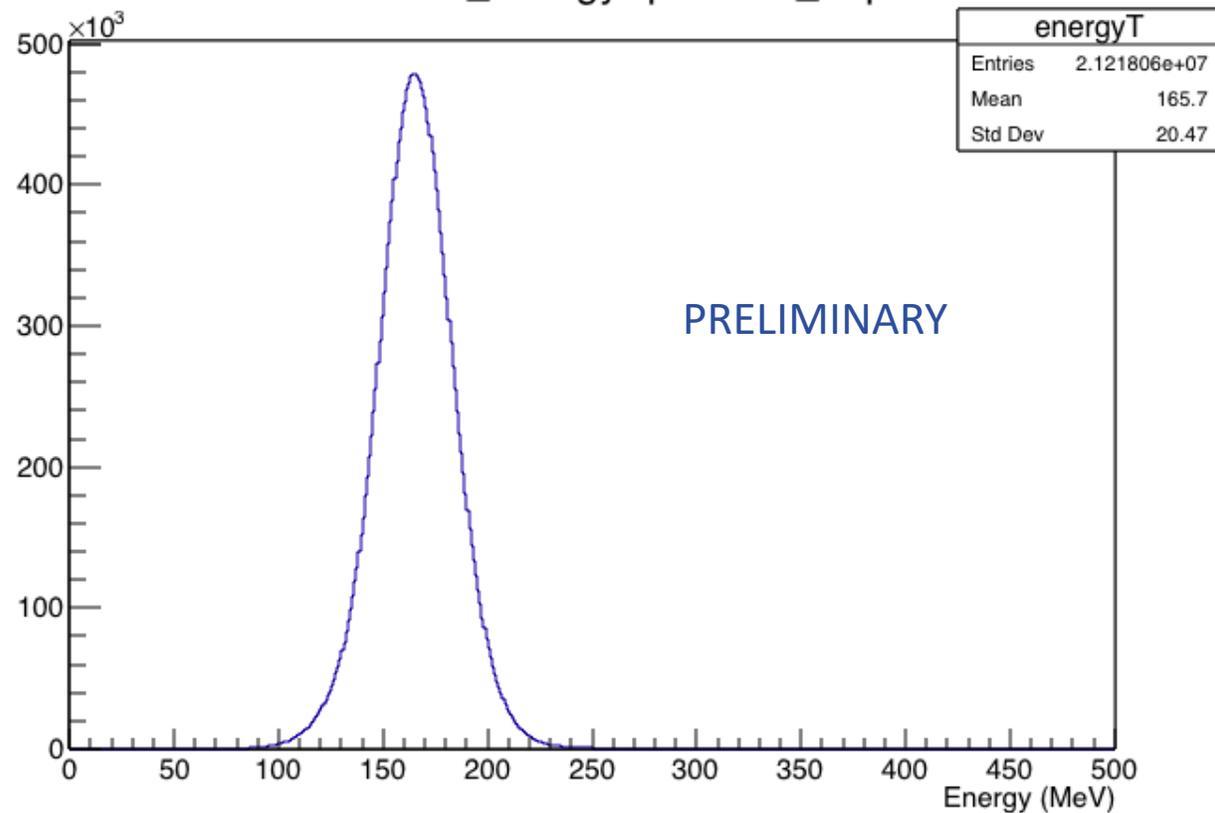
Triple Coincidences

# Energy Spectrum

LostMuons\_EnergySpectrum\_Double

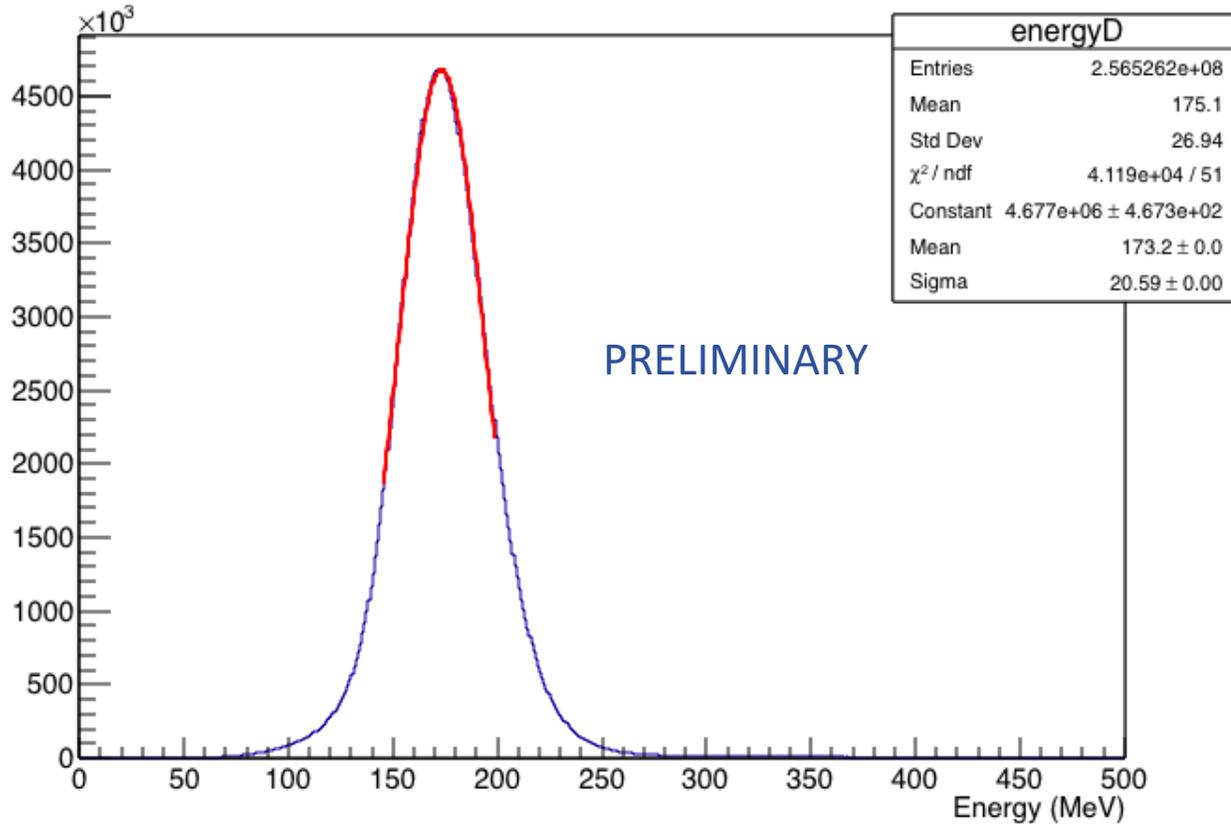


LostMuons\_EnergySpectrum\_Triple

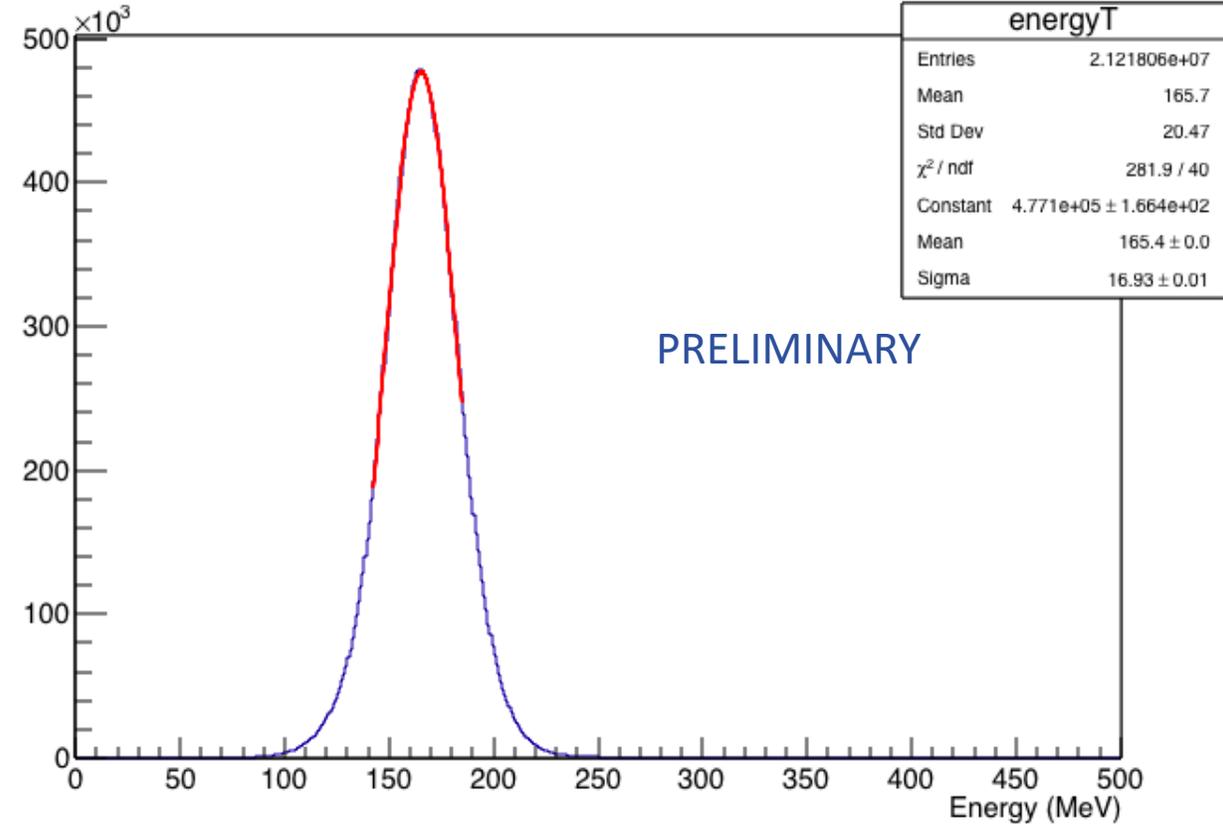


# Energy Spectrum

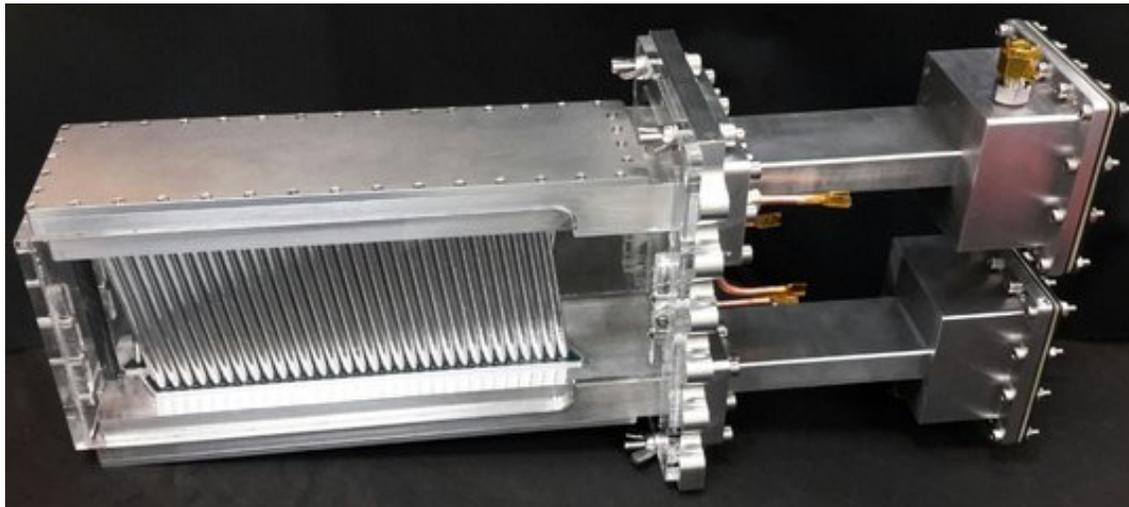
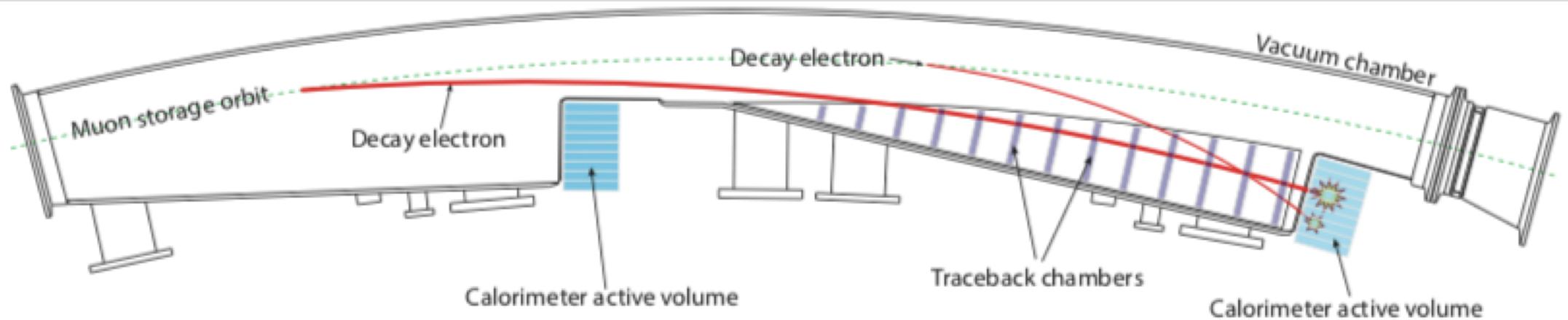
LostMuons\_EnergySpectrum\_Double



LostMuons\_EnergySpectrum\_Triple



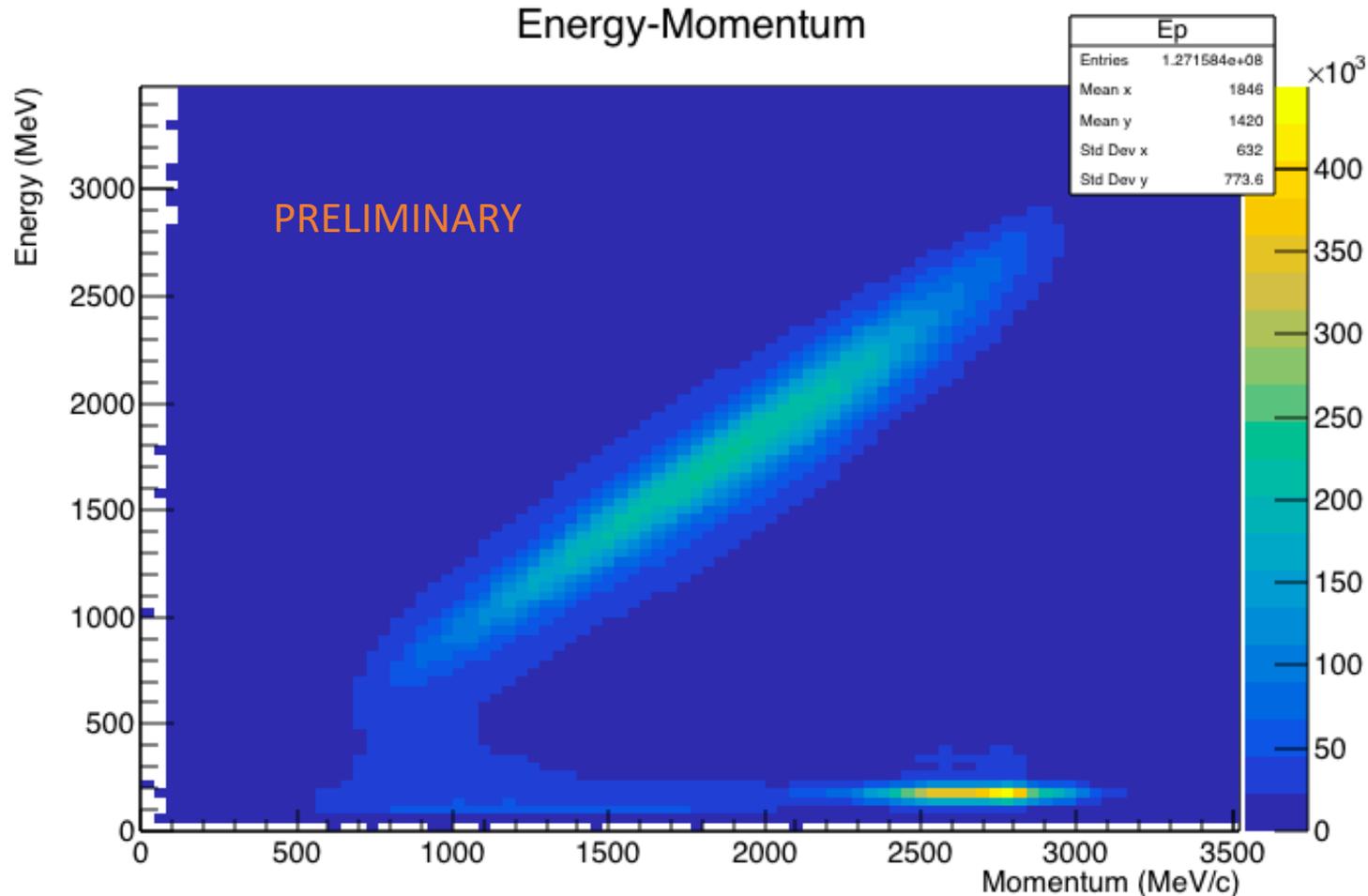
# Tracker Detector



Straw tracker to measure the track of particles.

Can be used to measure the momentum from the curvature of the track → Identify particles

# Tracker



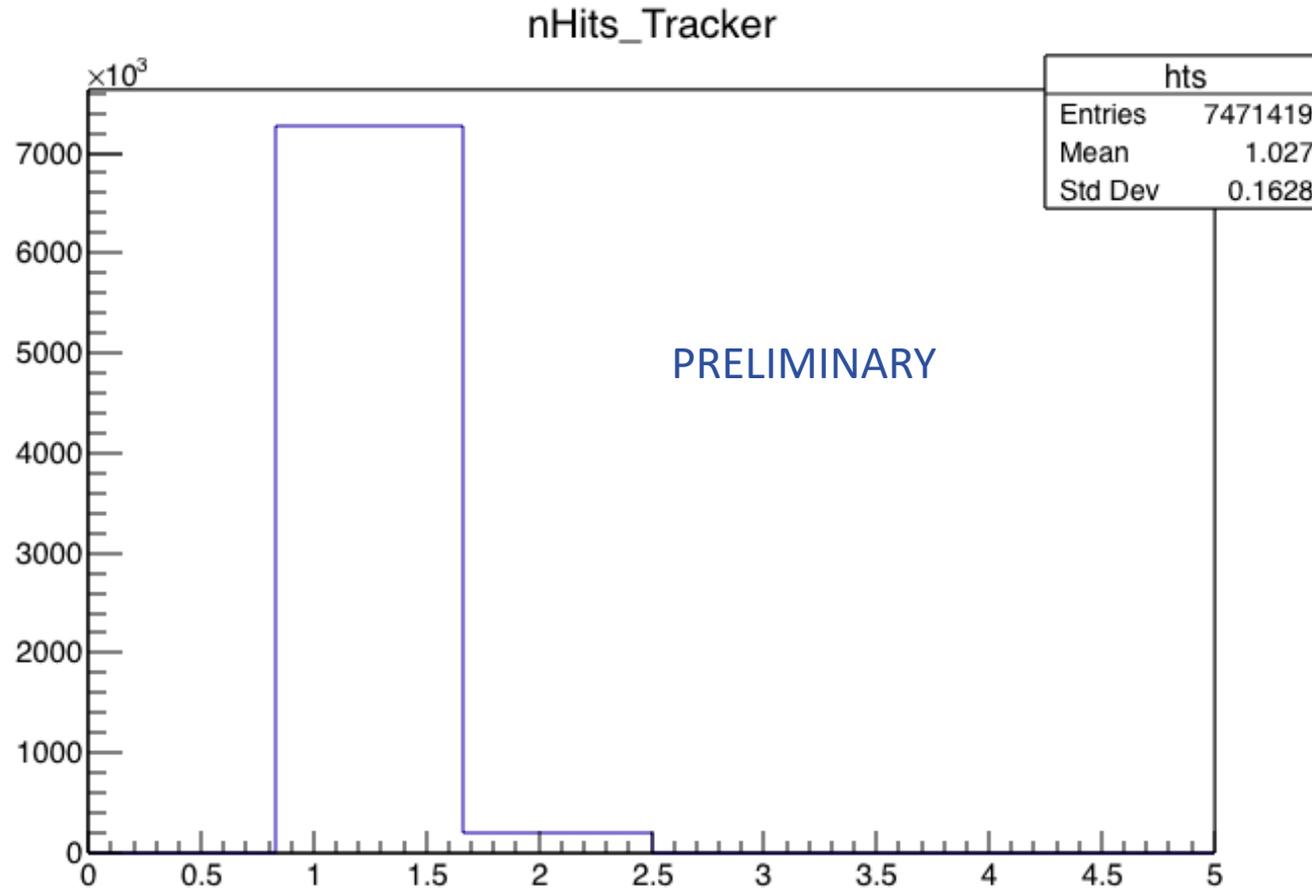
Energy-Momentum plot from the tracker-calorimeter matching. We can see positrons on the diagonal:

$$m_e \approx 0 \rightarrow E \approx pc$$

Muons are in the region with high momentum and small energy deposit.

In this way we can cut on muon events.

# Tracker

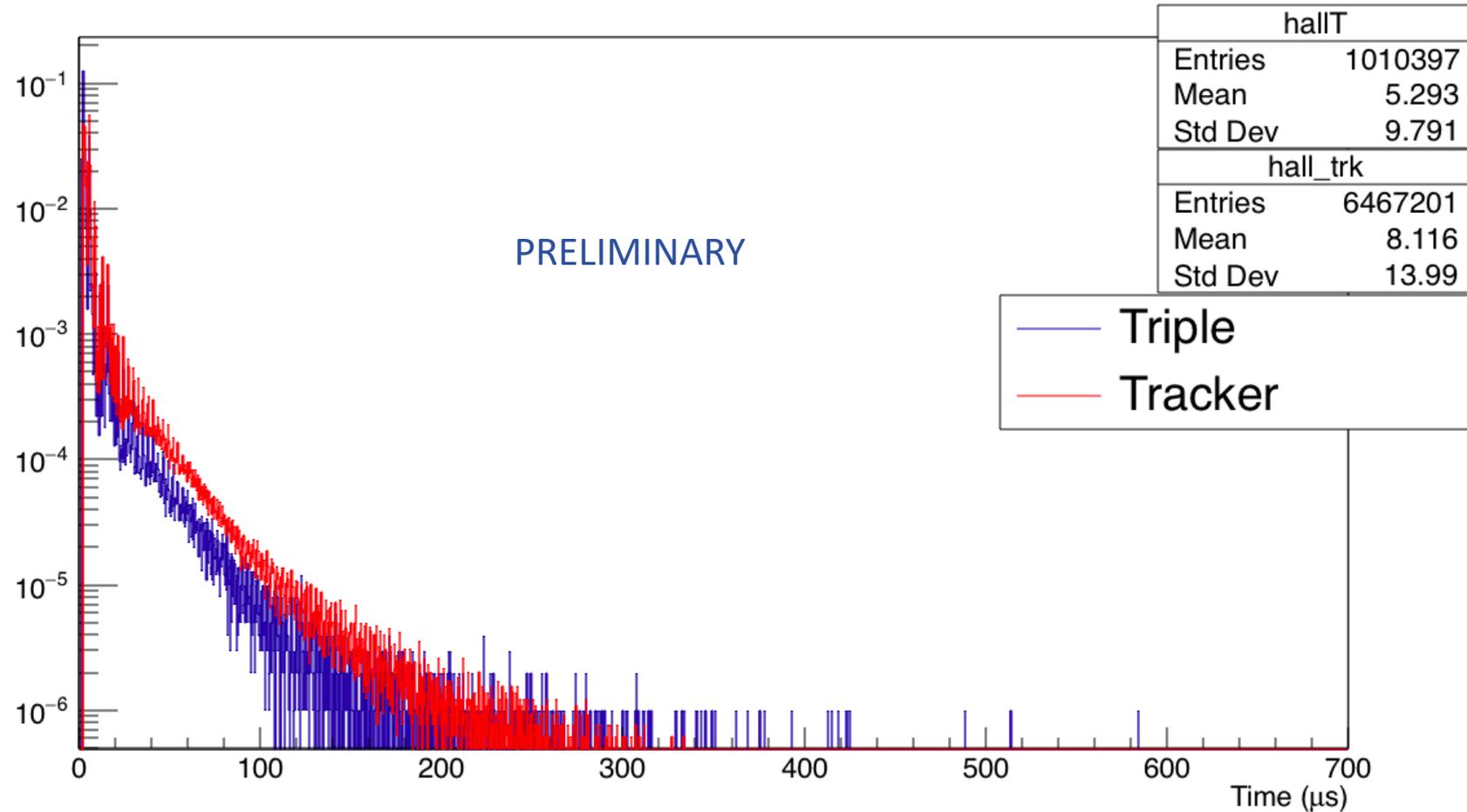


Selecting muons with the tracker:  
High momentum and small energy loss

The tracker suggest that only a small amount of muons «fire» more than a crystal, so we can use nHit=1 to cut positrons events without loosing statistics on muon events.

# Time Distribution - Tracker

LostMuons Time Distribution



The «Triple» curve is calculated with the triple coincidences module.  
The «Tracker» one comes from selecting muons with tracker. Both curves are normalized to their integral.

# Conclusions

- The double/triple coincidences works as expected;
- Absolute energy calibration with MIP peak is possible;
- Use the MC to relate the energy spectrum in ADC to the energy of the particles.

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- The double/triple coincidences works
- Absolute energy calibration with MIP peak is possible
- Use the MC to relate the energy spectrum in ADC to the energy of the particles

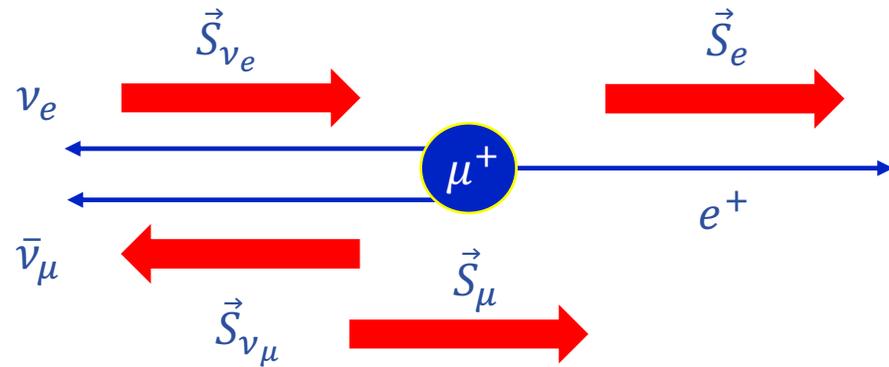
The journey is just at the beginning...

**Thank You! Any Question?**

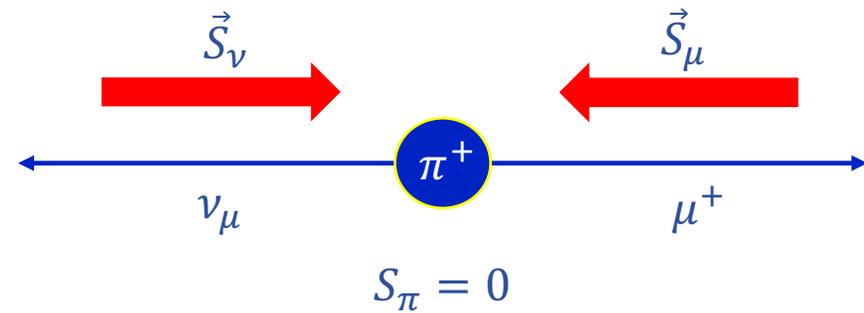


# Spare

# Spin Configuration

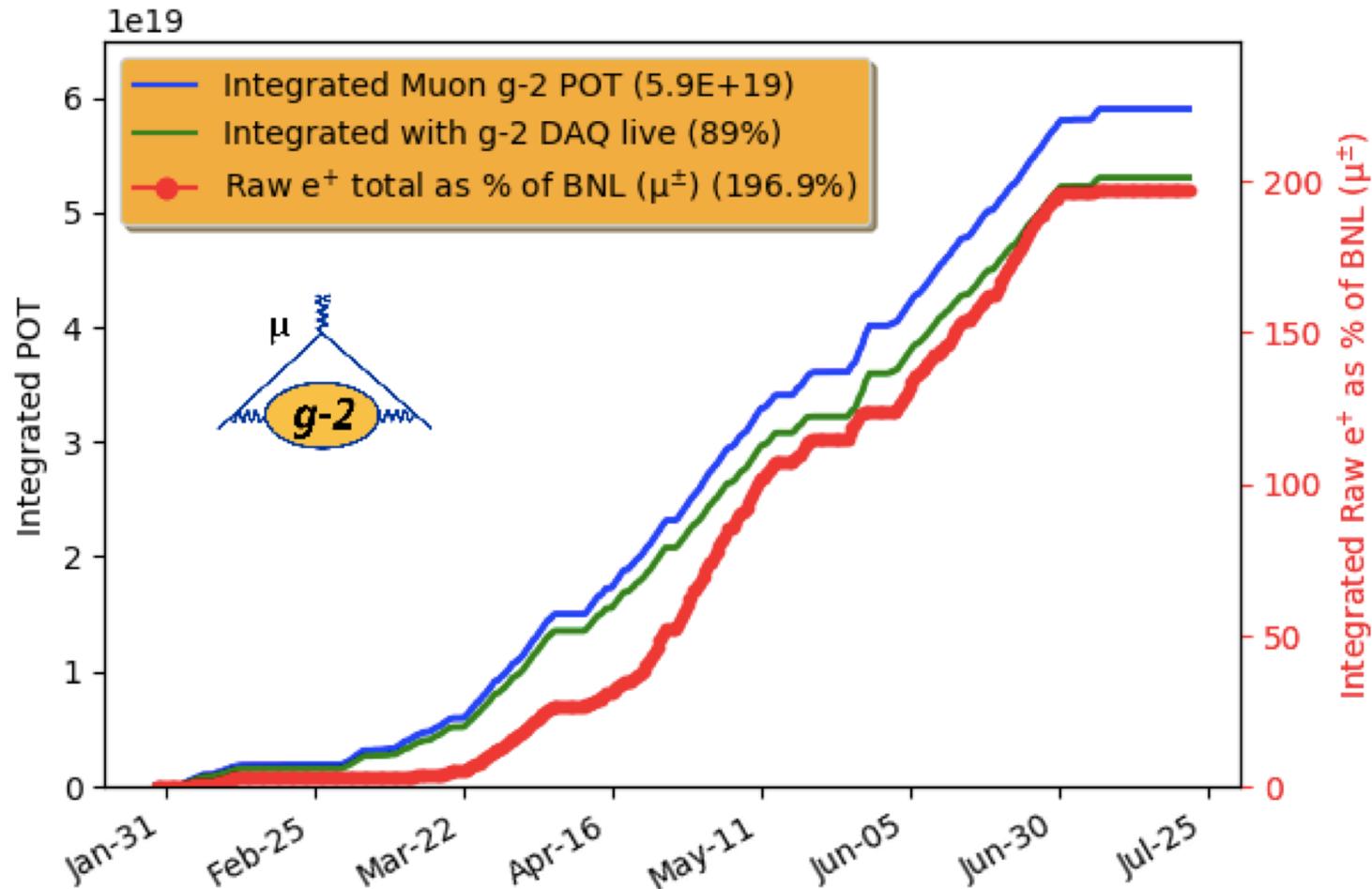


Muon Decay



Pion Decay

# Where are we now?



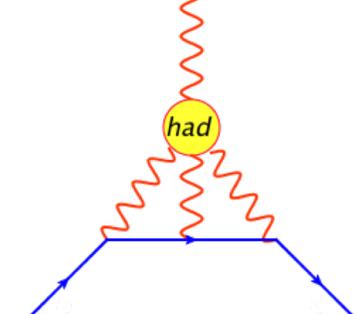
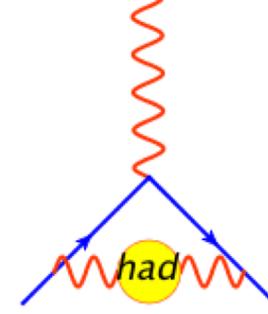
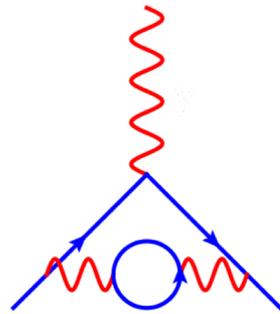
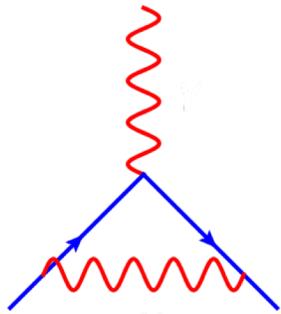
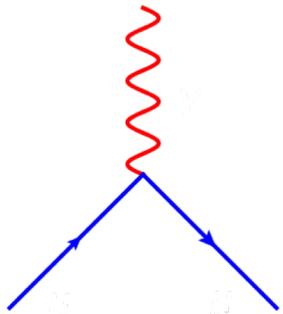
# The $g-2$ value

Dirac Equation naturally predicts the gyromagnetic factor:  $g = 2$

Standard Model corrections give contribution to the value. Define

$$a_{\mu} = \frac{g-2}{2}.$$

$$a_{\mu} = a_{\mu}^{QED} + a_{\mu}^{Weak} + a_{\mu}^{HVP} + a_{\mu}^{Hl \times l}$$



A discrepancy of  $3 \div 4 \sigma$  (found in 2001 by BNL, not yet confirmed) can be the evidence of BSM physics contributing to the  $g-2$  value.